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Vulnerability to Heat-Related Mortality in New York City

Public Health Burden of Heat

- On average, heat kills more people every year than any other natural disaster in the United States
 - ~ 700 deaths in 1995 Chicago heat wave
- As a result of climate change
 - Increased temperatures
 - More frequent extreme temperature days



Heat-Related Mortality in NYC

- In 2006, approximately 140 excess deaths due to heat
- Why is understanding vulnerability important?
 - During heat waves, emergency management plans include opening cooling centers and increasing outreach to at-risk populations.
 - Urban planning initiatives (e.g. 1 million trees)
- Previous studies have mapped 'expected' vulnerability factors in NYC, but have not linked them with actual health outcome data.



Methods

- Case-Only Design

- A way to assess how a characteristic that does not vary over time modifies the effect of a time-varying exposure
- If a characteristic increases the risk of dying on hotter days, the proportion of deaths with that characteristic will be higher on hotter days

Methods

- Study Population

- All decedents (cases) who are residents of New York City, 2000 – 2011
 - Non-external causes of death
 - May – September
 - n = 236,630

- Exposure

- Heat wave days
 - Ambient temperature measured at LaGuardia airport
 - Days when either the maximum temperature or heat index > 95°F for at least two consecutive days
 - Two days following heat wave

Methods

Modifiers

- Gender, race, age, dying at home
- Underlying cause of death
 - Diabetes
 - Cardiovascular disease
 - Myocardial infarction
 - Congestive heart failure
 - Chronic obstructive pulmonary disease (COPD)
- Census tract of residence
 - Built space
 - Trees, grass, shrubs
 - % Families receiving public assistance
 - Relative daytime and nighttime temperature
 - Traffic density
 - Non-English speaking

Methods

- Statistical Analysis
 - Classic Poisson regression model

$$\text{Log}(E(Y_t)) = \beta_0 + \beta_1 \text{Heatwave} + \beta_2 \text{Diabetes} + \beta_3 \text{Heatwave} * \text{Diabetes} + \text{otherstuff}$$

Methods

- Statistical Analysis
 - Classic Poisson regression model

$$\text{Log}(E(Y_t)) = \beta_0 + \beta_1 \text{Heatwave} + \beta_2 \text{Diabetes} + \beta_3 \text{Heatwave} * \text{Diabetes} + \text{otherstuff}$$

- β_3 is the parameter of interest to look at effect modification (e.g. susceptibility by diabetes status)

Methods

- If $heatwave=0$ and $diabetes=0$ the overall number of cases expected over the course of the study is

$$\sum_t \exp(\beta_0 + otherstuff) = k_0$$

- If $heatwave=1$ and $diabetes=0$ it is

$$\sum_t \exp(\beta_0 + \beta_1 heatwave + otherstuff) = k_1$$

Methods

- If $heatwave=0$ and $diabetes=1$ the overall number of cases expected over the course of the study is

$$\sum_t \exp(\beta_0 + \beta_2 + otherstuff) = k_0 \exp(\beta_2)$$

- If $heatwave=1$ and $diabetes=1$ it is

$$\sum_t \exp(\beta_0 + \beta_1 heatwave + \beta_2 + \beta_3 + otherstuff) = k_1 \exp(\beta_2 + \beta_3)$$

Methods

- Therefore:

		Diabetes	
		0	1
Heat Wave	0	k_0	$k_0 \exp(\beta_2)$
	1	k_1	$k_1 \exp(\beta_2 + \beta_3)$

- Odds Ratio

Methods

- Therefore:

		Diabetes	
		0	1
Heat Wave	0	k_0	$k_0 \exp(\beta_2)$
	1	k_1	$k_1 \exp(\beta_2 + \beta_3)$

- Odds Ratio = $k_1 \exp(\beta_2 + \beta_3) / k_1 / k_0 \exp(\beta_2) / k_0$

Methods

- Therefore:

		Diabetes	
		0	1
Heat Wave	0	k_0	$k_0 \exp(\beta_2)$
	1	k_1	$k_1 \exp(\beta_2 + \beta_3)$

- Odds Ratio = $k_1 \exp(\beta_2 + \beta_3) / k_1 / k_0 \exp(\beta_2) / k_0 = \exp(\beta_3)$

Methods

- Therefore:

		Diabetes	
		0	1
Heat Wave	0	k_0	$k_0 \exp(\beta_2)$
	1	k_1	$k_1 \exp(\beta_2 + \beta_3)$

- Odds Ratio = $k_1 \exp(\beta_2 + \beta_3) / k_1 / k_0 \exp(\beta_2) / k_0 = \exp(\beta_3)$

$$\text{logit}(\text{diabetes} = 1) = \beta_0 + \beta_3 \text{HeatWave}$$

Methods

- Therefore:

		Diabetes	
		0	1
Heat Wave	0	k_0	$k_0 \exp(\beta_2)$
	1	k_1	$k_1 \exp(\beta_2 + \beta_3)$

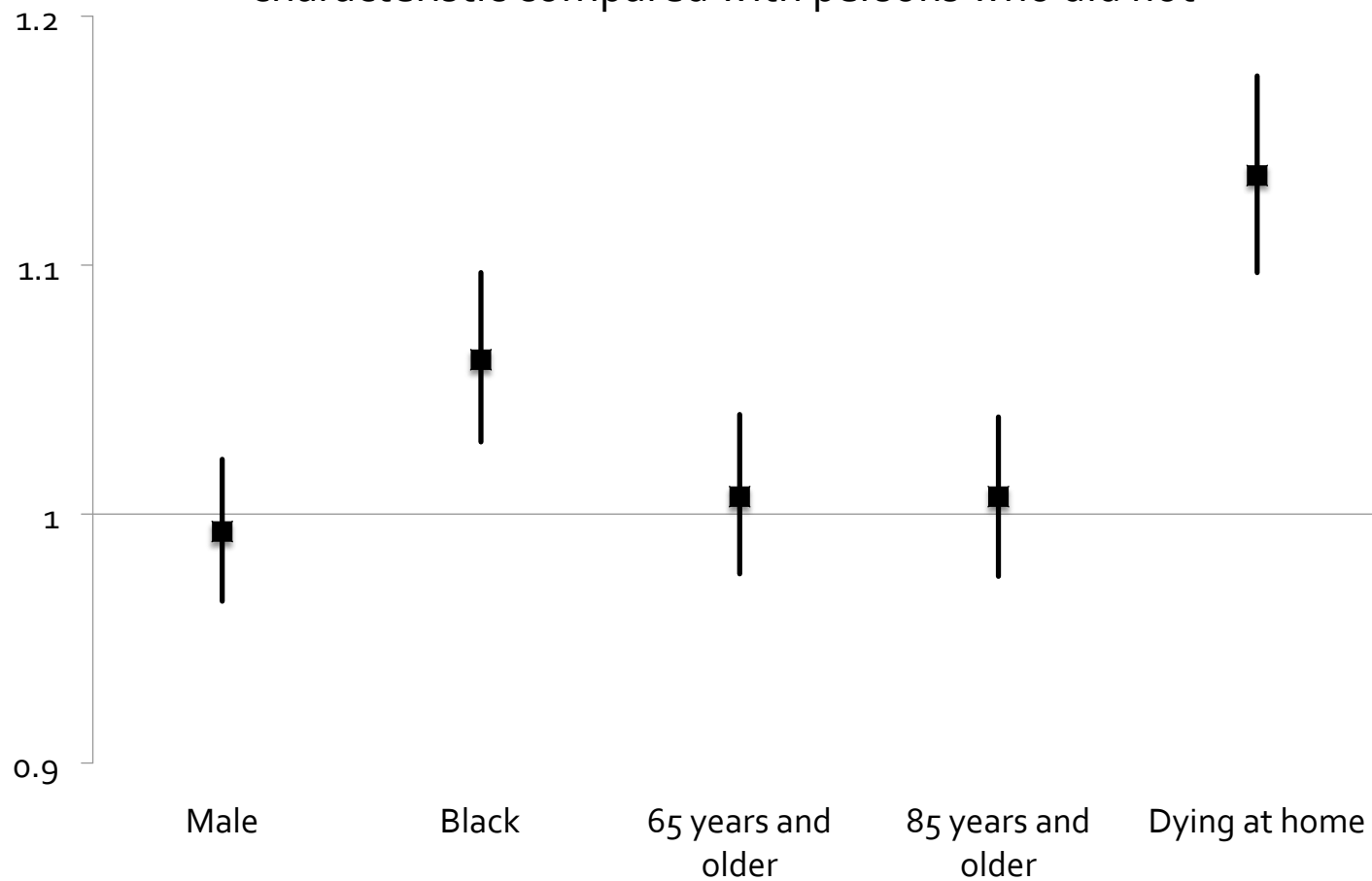
- Odds Ratio = $k_1 \exp(\beta_2 + \beta_3) / k_1 / k_0 \exp(\beta_2) / k_0 = \exp(\beta_3)$

$$\text{logit}(\text{diabetes} = 1) = \beta_0 + \beta_3 \text{HeatWave}$$

- We can use a logistic regression predicting presence of the modifier (in cases) to obtain the parameter of interest!

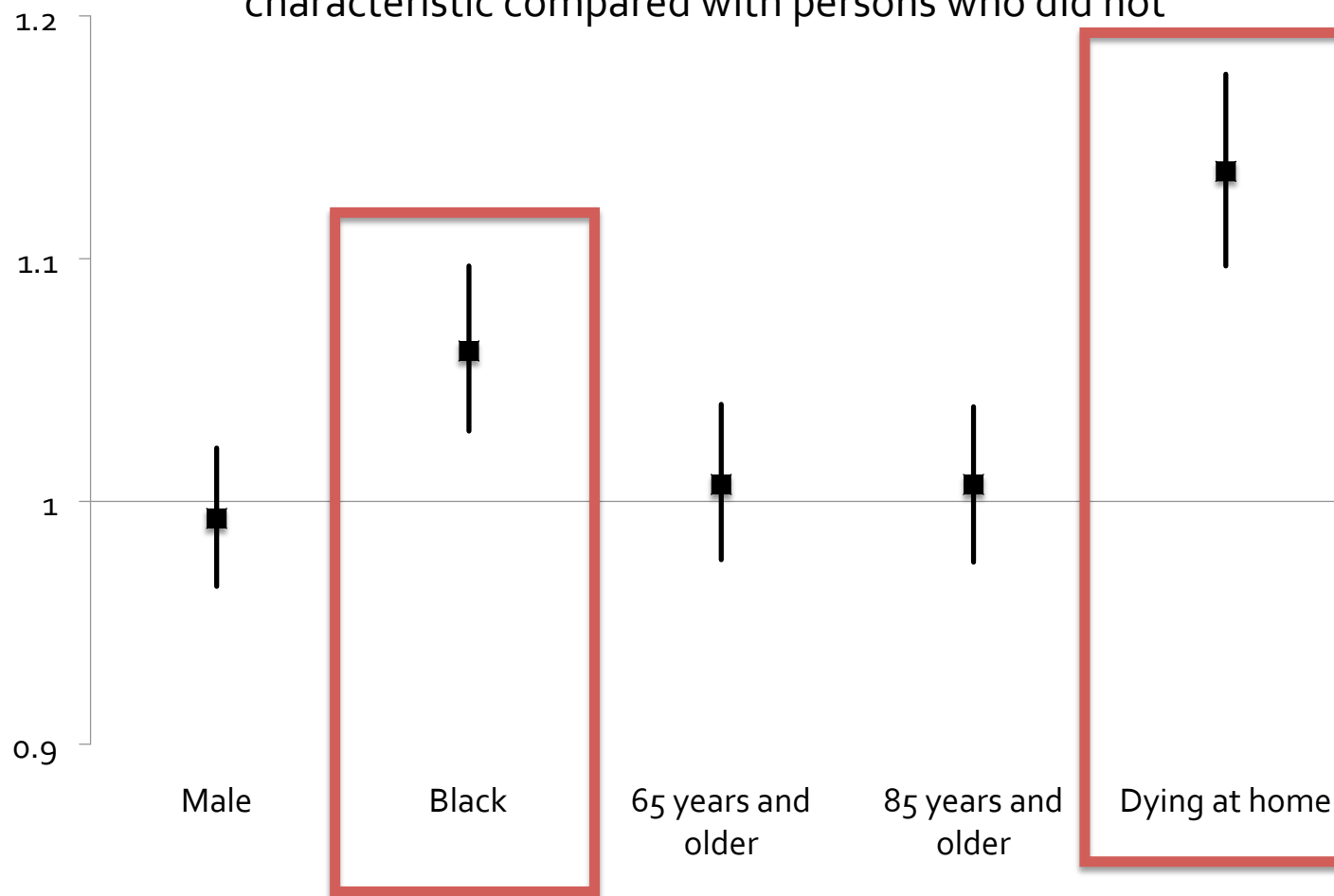
Results

Relative odds of dying during a heat wave for persons who had the characteristic compared with persons who did not

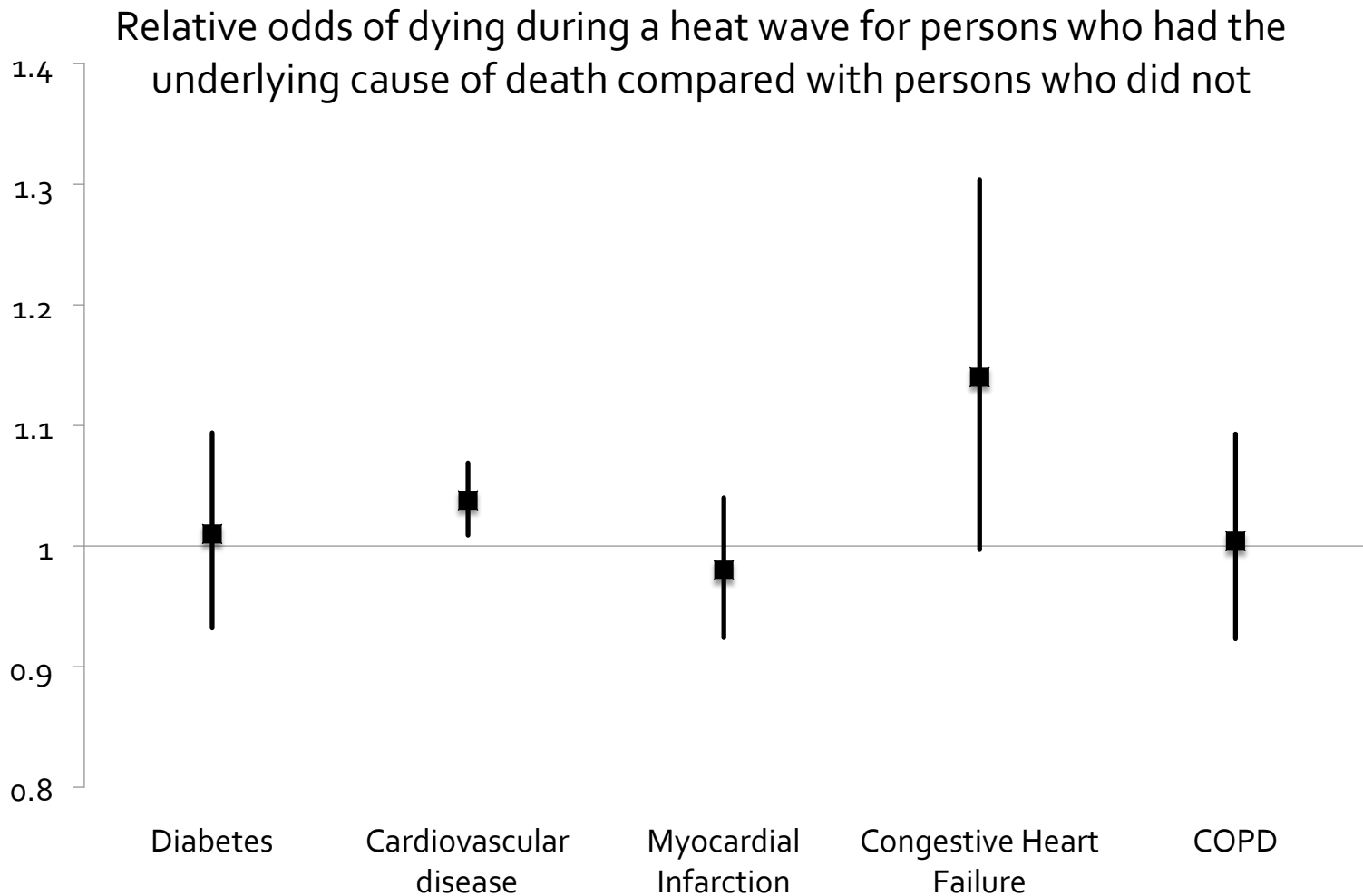


Results

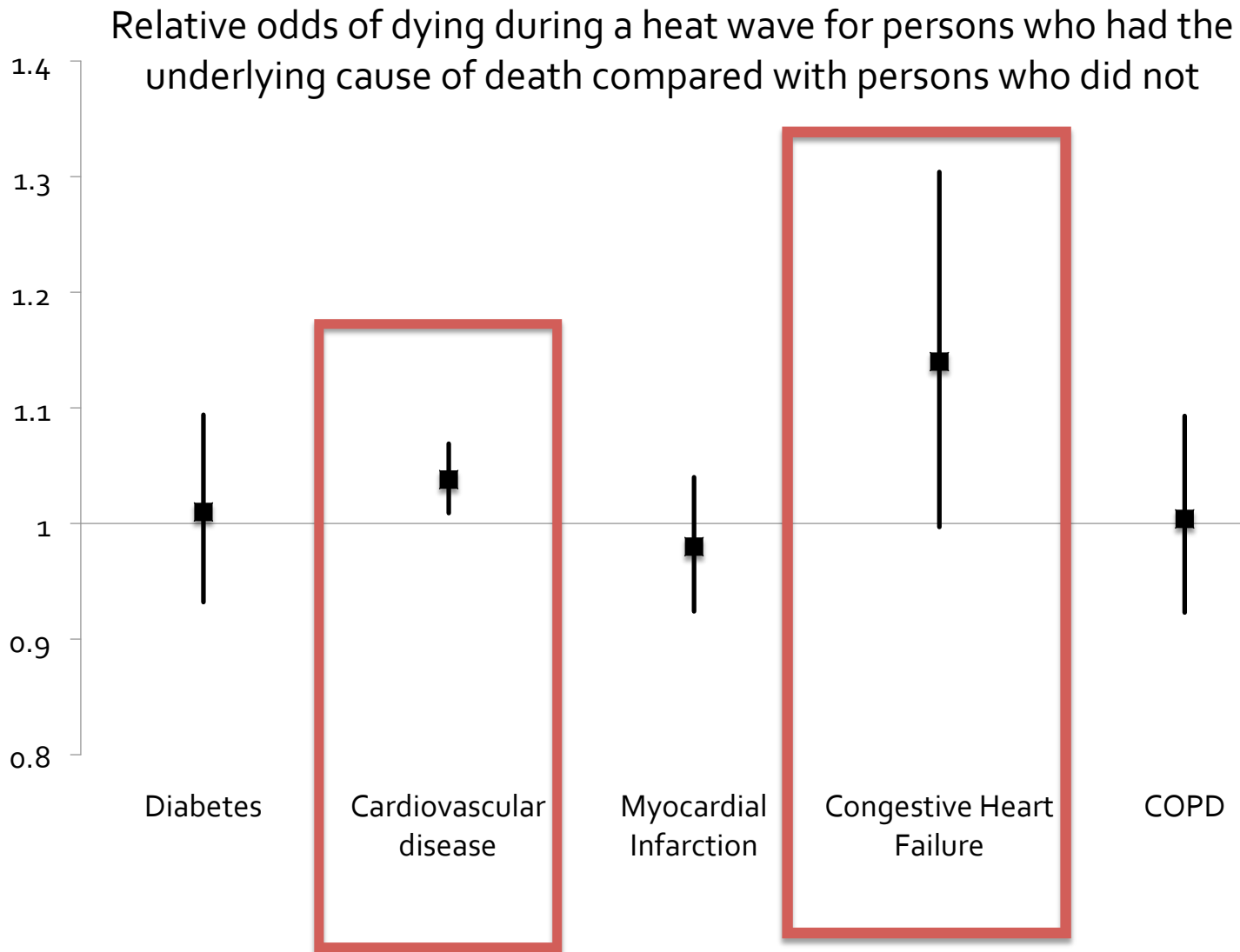
Relative odds of dying during a heat wave for persons who had the characteristic compared with persons who did not



Results

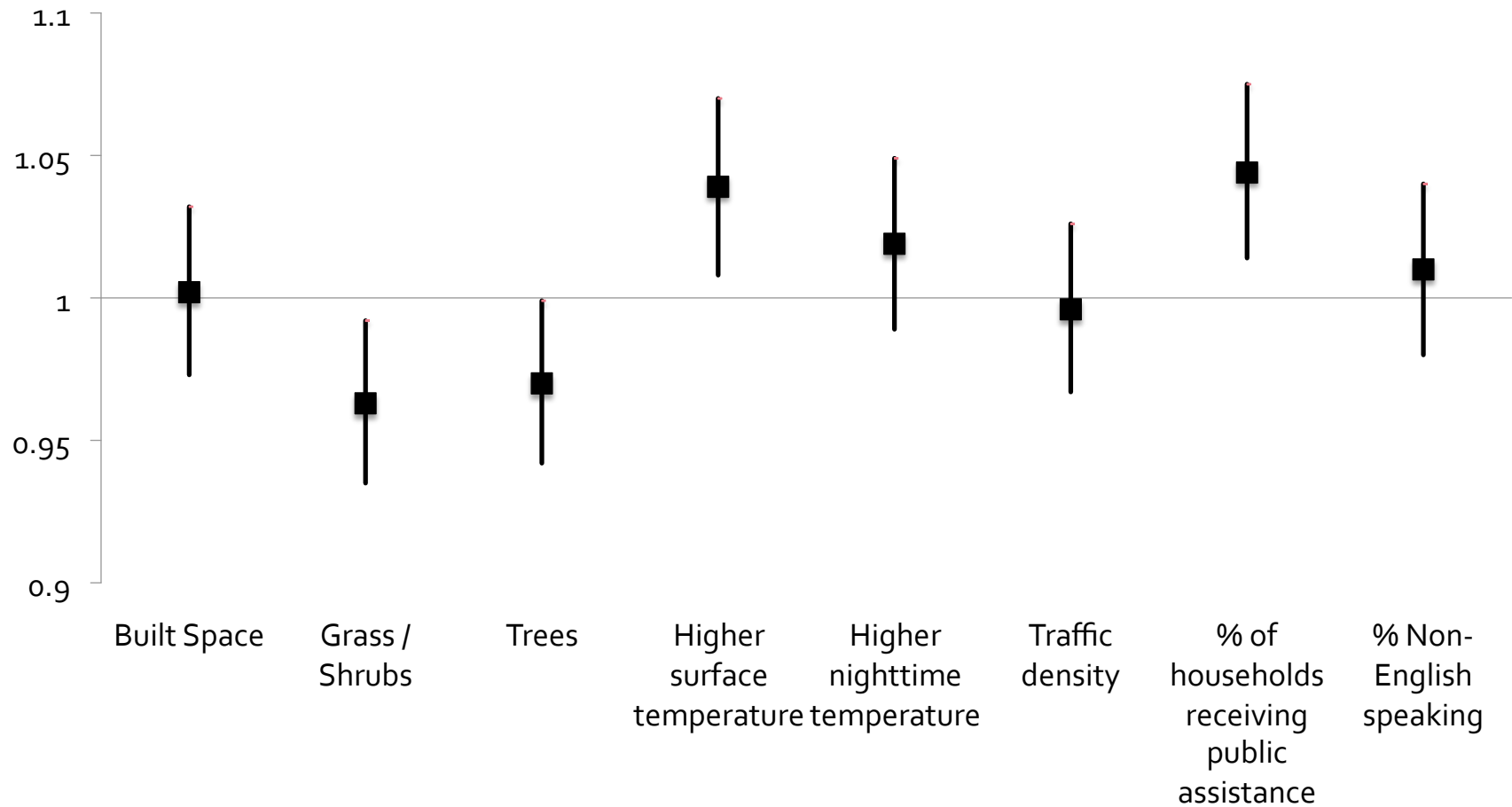


Results



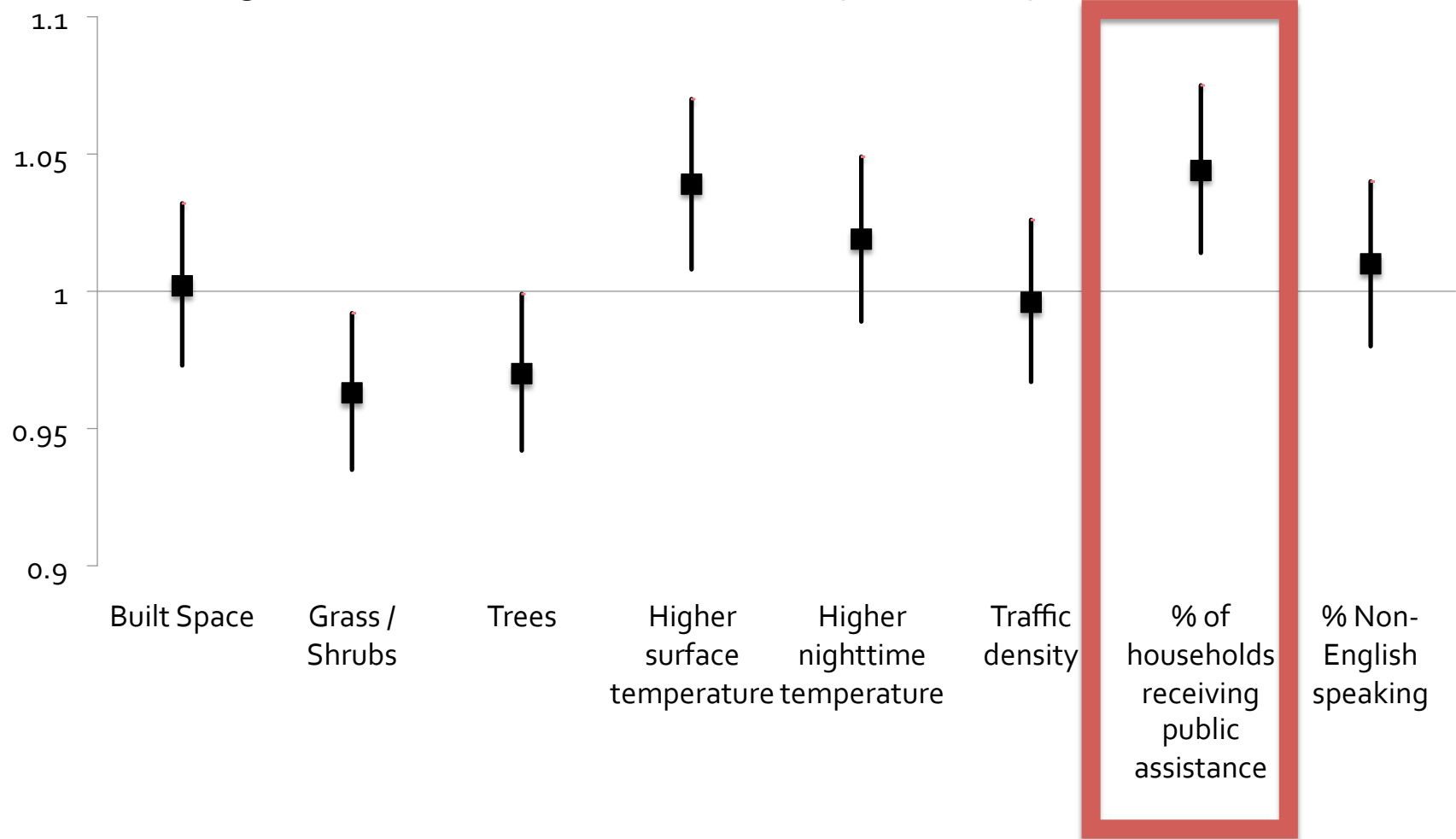
Results

Relative odds of dying during a heat wave for persons who lived in a census tract with higher levels of the characteristic compared with persons who did not

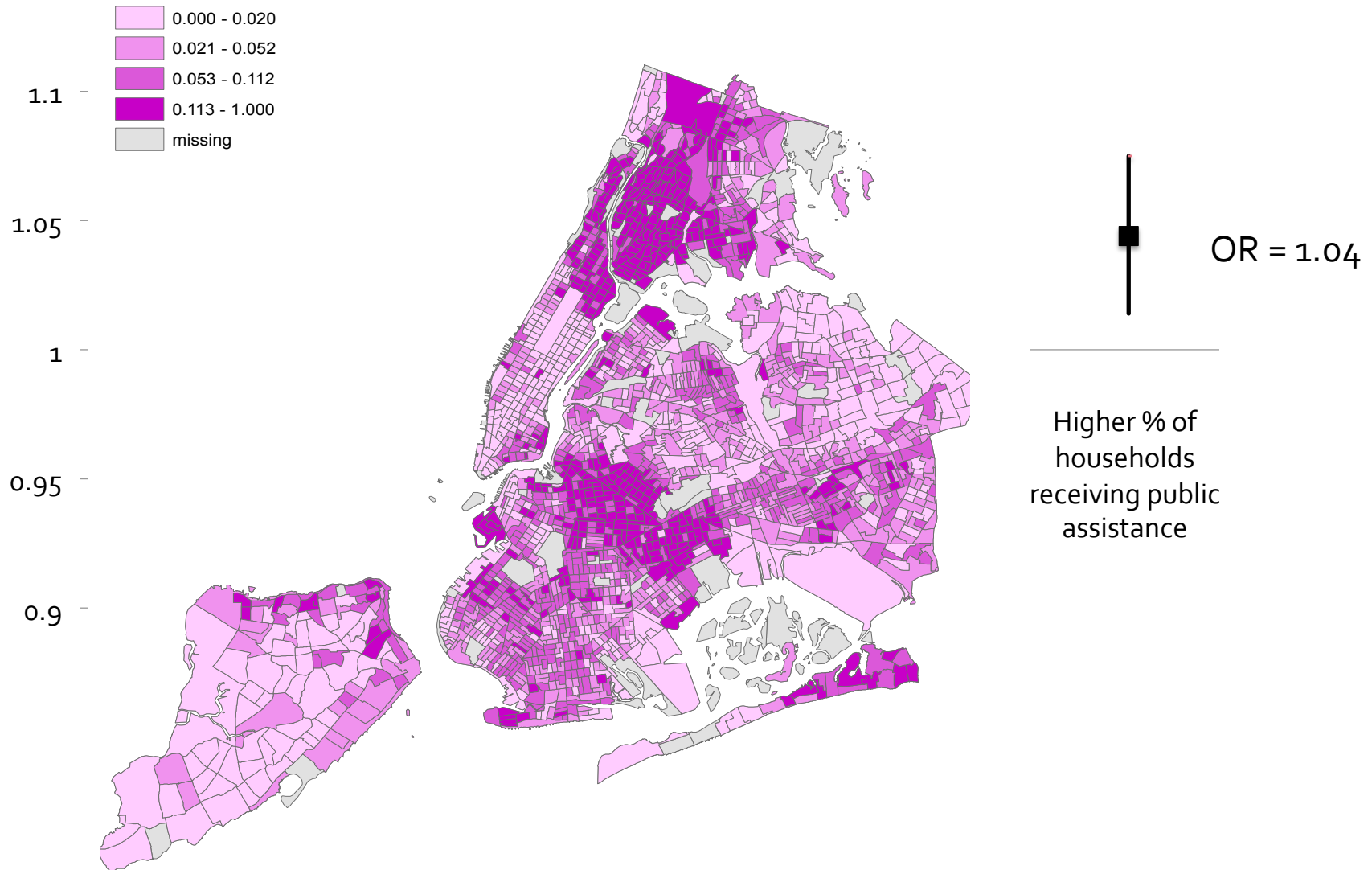


Results

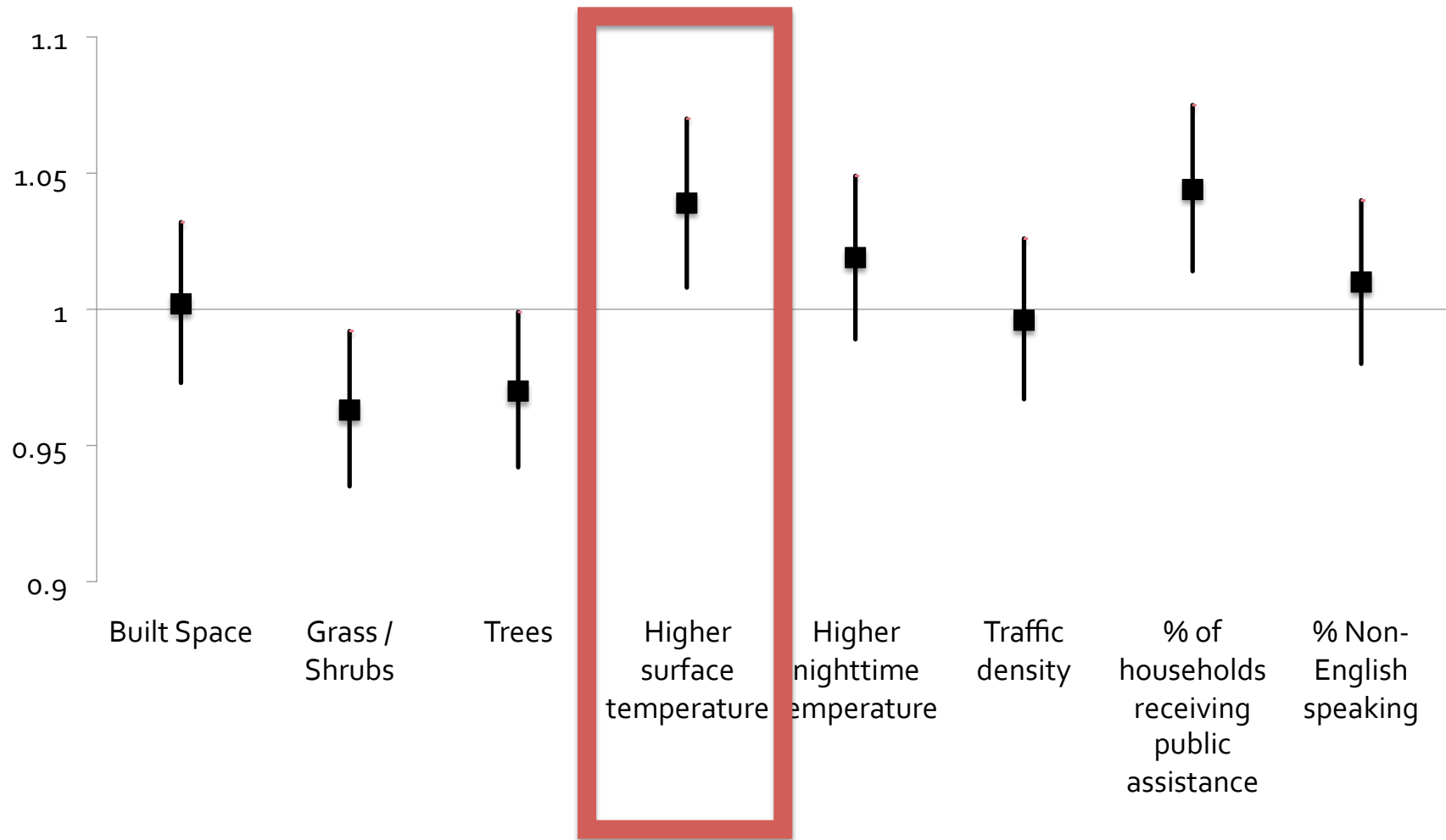
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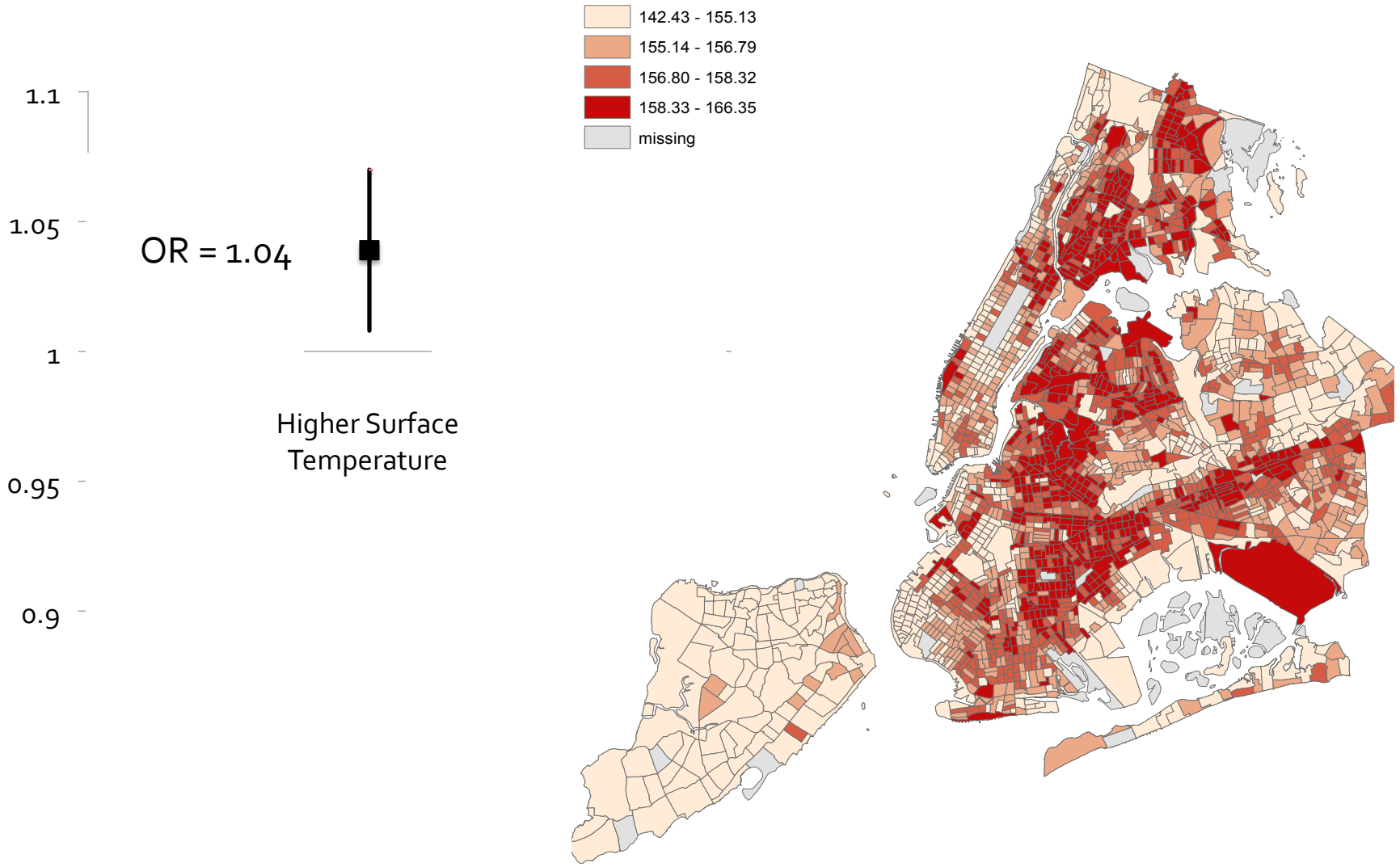
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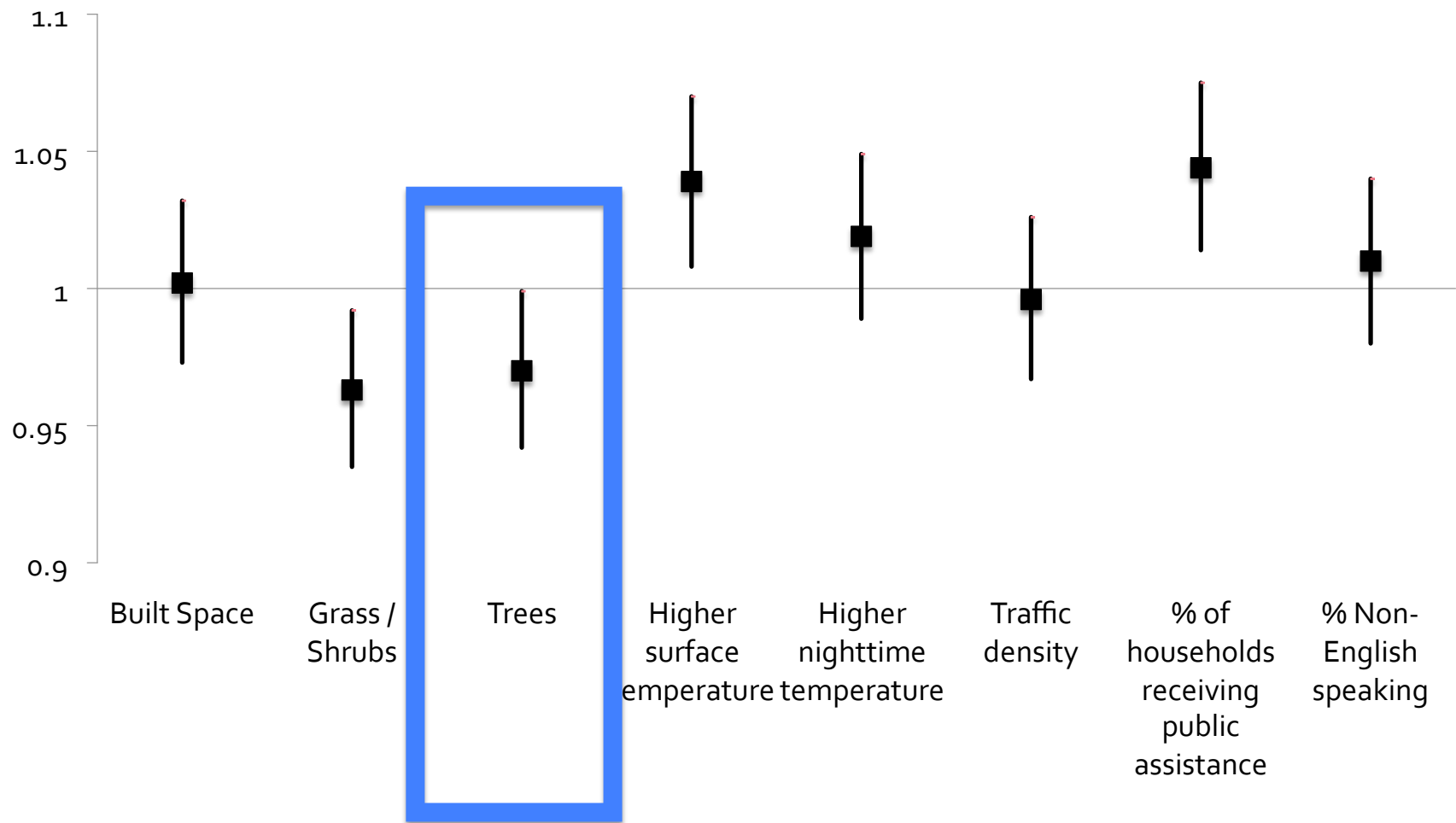
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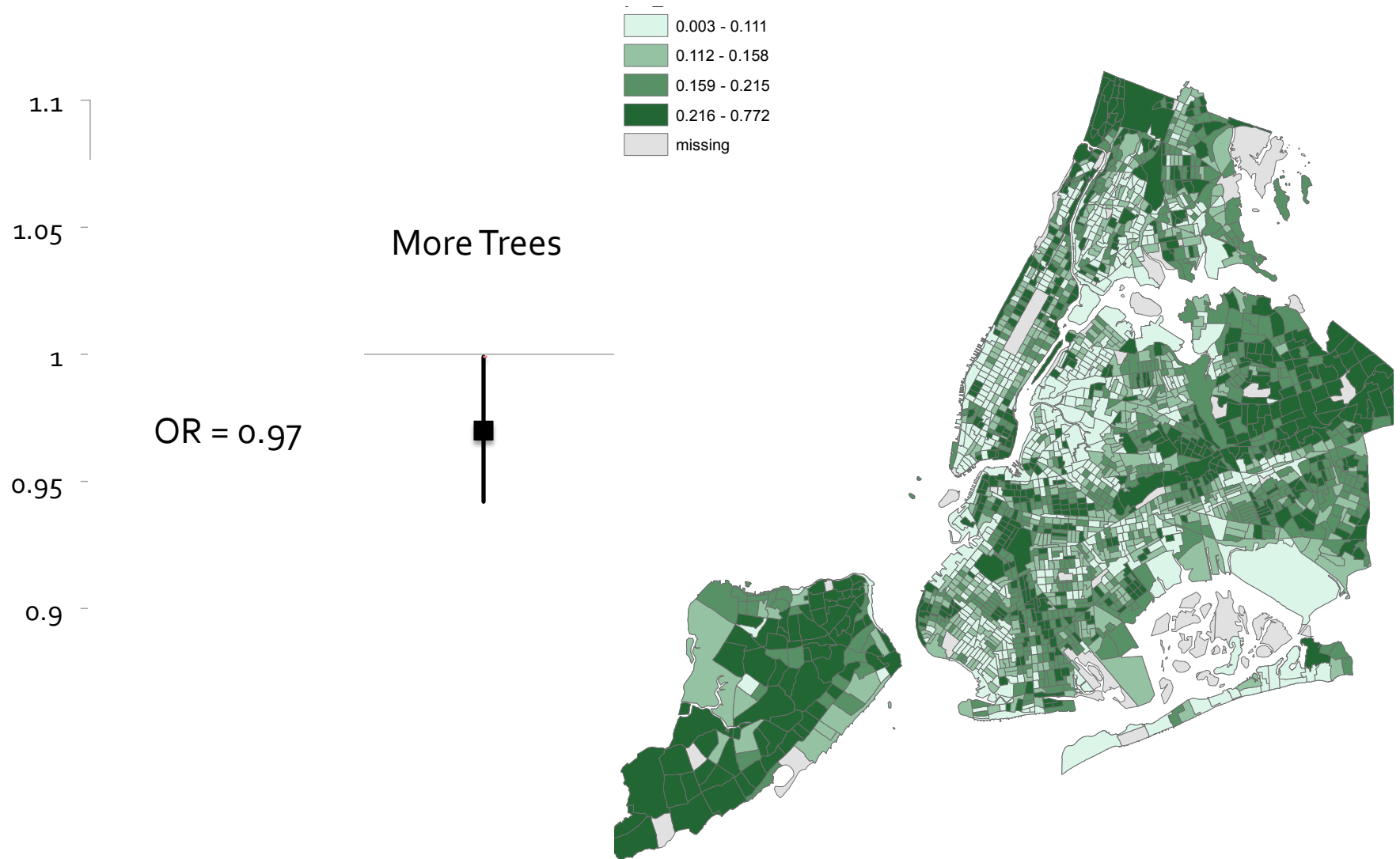
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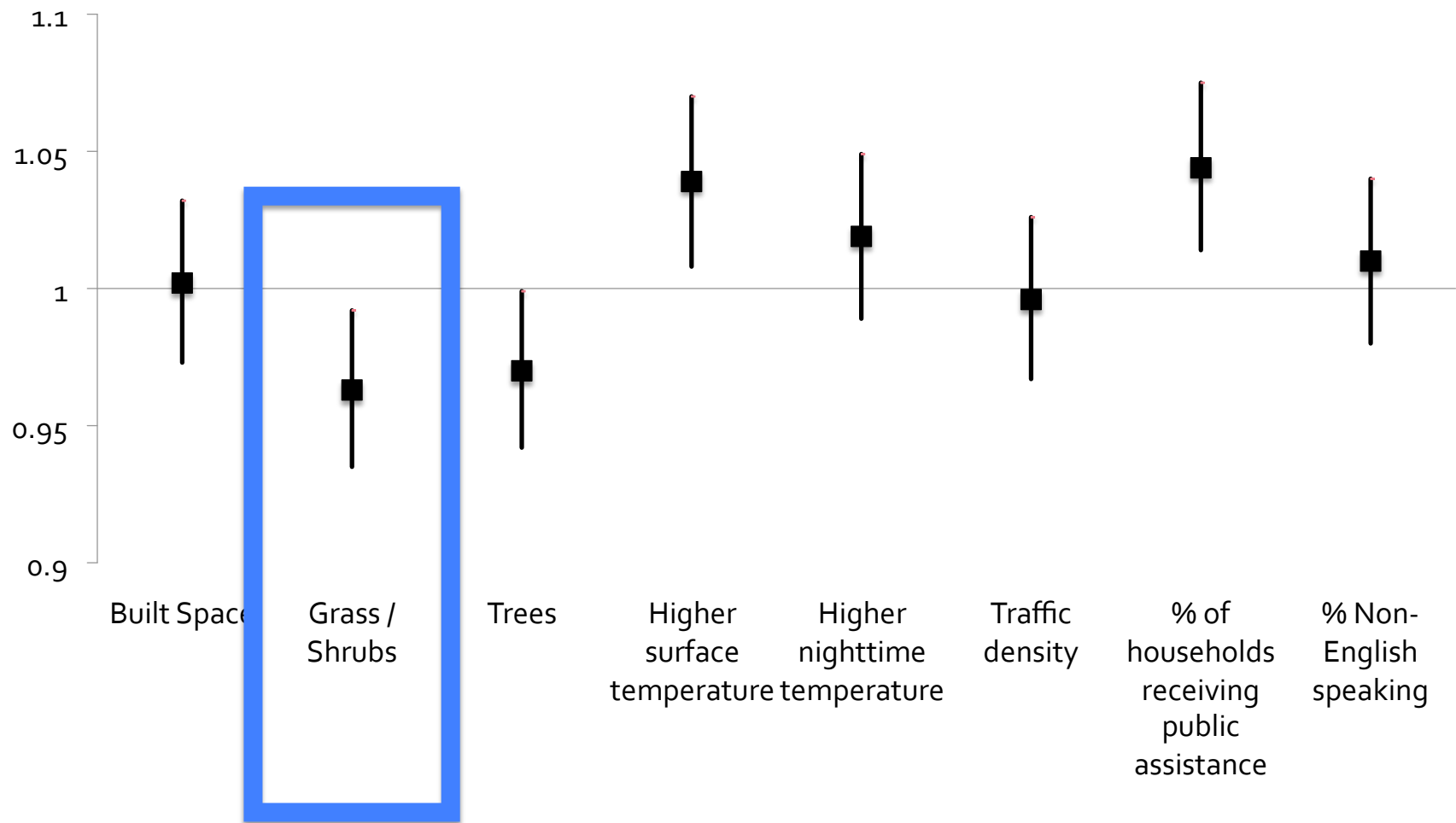
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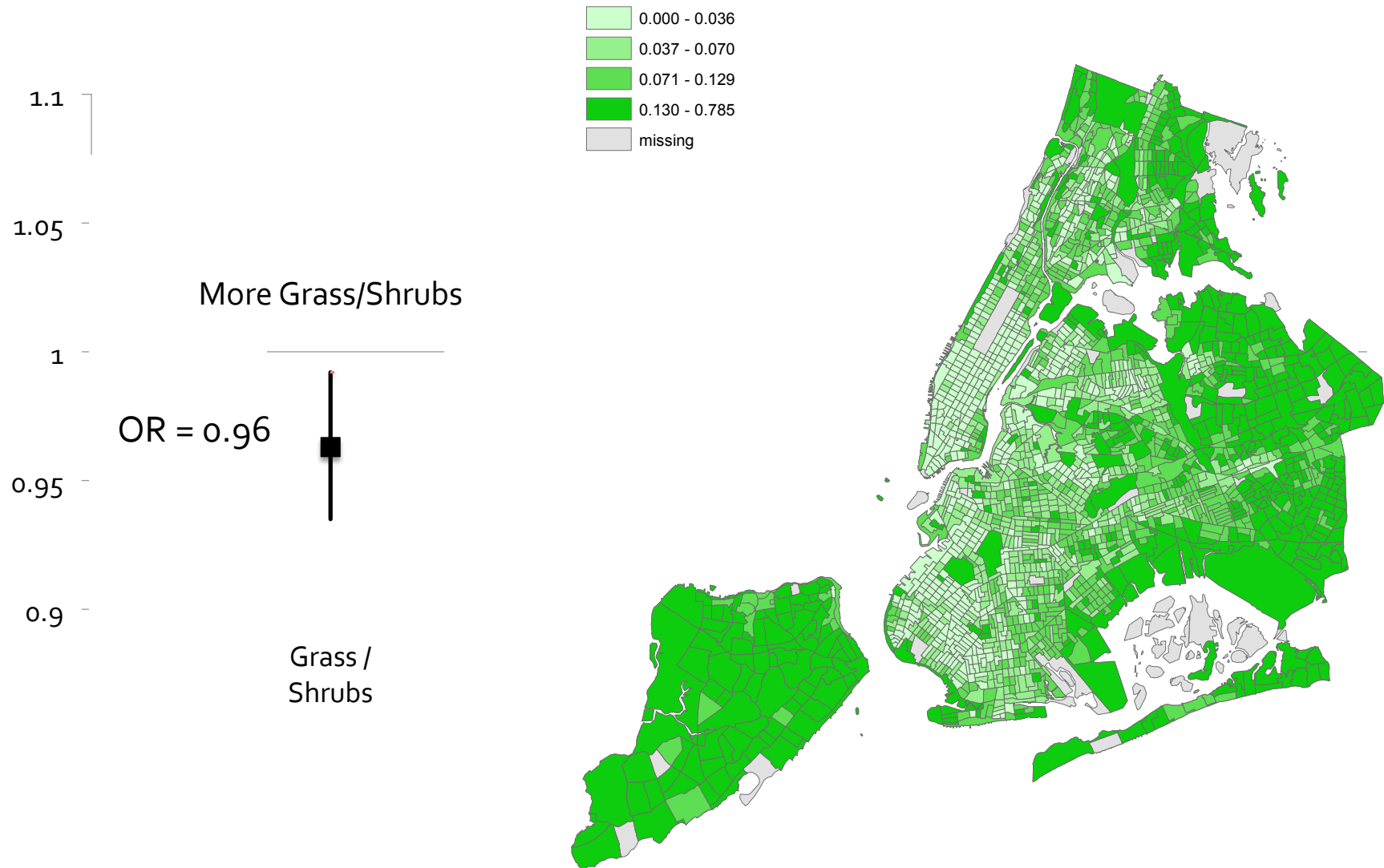
Results



Results



Results



Conclusions

- In the last decade in NYC, increased vulnerability to heat-related mortality in:
 - Black race
 - Persons dying at home
 - Individuals dying of cardiovascular disease and congestive heart failure
 - Persons living in areas receiving greater public assistance
- Spatial variability in surface temperature predicts heat-related mortality
- Urban 'greening' initiatives may offer protection against heat-related mortality

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